## Tables of contents

1. Introduction ..... 1
2. Part I : Structure of the elementary particles ..... I-1
3. Part II: Atomic nuclear structure of the elements -Table 1.

Table 1: The elements are indexed by their $\mathbf{Z}$ number

| Z | Page | File: <br> ANS_IIa.pdf | Z | Page |
| :---: | :---: | :---: | :---: | :---: |
| $1-2$ | II-1 |  | $53-56$ | II-11 |
| $3-7$ | II-2 |  | $57-61$ | II-12 |
| $8-13$ | II-3 |  | $62-67$ | II-13 |
| $14-18$ | II-4 |  | $68-72$ | II-14 |
| $19-24$ | II-5 |  | $73-78$ | II-15 |
| $24-29$ | II-6 |  | $79-84$ | II-16 |
| $30-35$ | II-7 |  | $95-89$ | II-17 |
| $36-40$ | II-8 |  | II-18 |  |
| $41-46$ | II-9 |  | $102-103$ | II-20 |
| $47-52$ | II-10 |  |  |  |

4. Periodic table of atomic nuclear structures (poster)

Element notations and parameters used in the atlas

## Introduction

The Atlas of Atomic Nuclear Structures (ANS) is one of the output results of the BSM theory. It may serve as an independent educational tool if the BSM concept is accepted. In such case it could be a useful tool for understanding the nuclear structure of the elements and their spatial positions in the chemical compounds. The spatial geometry of the nuclear structures and the limited angular freedom of the valence protons may provide explanation about the angular positions of the chemical bonds. Test examples for some simple molecules are in quite good agreement with the VSEPR model used in the structural chemistry.

The atlas contains two parts. Part I illustrates the geometry and the internal structure of the basic atomic particles, built of helical structures. Part II illustrates the three dimensional atomic nuclear structures of the elements in the range $1<Z<103$. Only the stable isotopes given in the Periodic table are shown. In order to simplify the complex views of the nuclei they are presented by plane projections of symbols. For this purpose two type of symbols are used: symbols for hadron particles (proton, neutron and He nucleus) and connection symbols. The real spatial structures could be imaginary restored from the presented drawings.

The rules upon which the protons and neutrons are arranged in the nucleus are discussed in Chapter 8. The trend of consecutive nuclear building by Z-number follows the row-column pattern of the Periodic table. The protons (deuterons) shells get stable completion at column 18 (noble gases). The separate rows of the Lantanides and the Actinides are characterised with consecutive grow and completion of different shells. All atomic nuclei possess clearly identified polar axis of symmetry where one or more He nuclei are positioned. The growing limit for stable high Z-number elements is also apparent.

The electronic orbits are not shown in the nuclear drawings, but their positions are identifiable from the attached positions of the protons (or deuterons). The Hund's rules and Pauli exclusion principle are identifiable features influencing respectively the plane orientation and combinations of the quantum orbits. The possible quantum numbers for the different orbitals in any element are restricted by the spatial configuration of its nucleus.

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Z - number of protons
N - number of neutrons

$R L(T)^{+}$structure

- RL(T)- structure

Electron structure geometrical parameters


Core node from prisms of same type (building element of the helical structure) Note: The twisted prisms model is used

Fig. 2.8.B



Shape and envelope structure of proton and neutron


Fig. 2.15.B. Axial sectional view of proton (neutron) showing the external positive shell (envelope) and the internal subatomic particles. All of them are formed by helical structures with internal RL structures (not shown).


Fig. 2.15.A. Radial sectional view of proton (neutron) core with internal subatomic particles and their internal RL structures. The RL structures are not twisted for the kaon, partly twisted for the pions and fully twisted for the external shell.


Fig. 2.29.E. Radial section of positive FOHS with twisted internal RL(T) ${ }^{+}$structure generating E-field in CL space. The radial section of the FOHS envelope core and the
central core is formed of 7 prisms. $r_{p}$ - is a radius of the FOHS envelope.



Simple quantum orbit ( n - is the subharmonic number)


Orbit in Balmer senes

Idealized shape of stable (quantum) orbit defined by the short magnetic line conditions. The peripheral and axial magnetic lines are generated by the electron spin rotation in its confined motion in CL space (see \&7.7 in Chapter 7)

The equation of the quantum orbit trace length, $L_{q o}$ is derived in \&3.12.3 (Chapter 3).

$$
\begin{equation*}
L_{q o}(n)=\frac{2 \pi a_{o}}{n}=\frac{\lambda_{c}}{\alpha n} \tag{3.43.i}
\end{equation*}
$$

where: $n$ is the subharmonic number of the quantum orbit; $\lambda_{c}$ - is the Compton wavelength; $\alpha$ - is the fine structure constant; $2 \pi a_{o}$ - is the length of the boundary orbit ( $a_{o}-$ is the Bohr model radius)

The shape of the orbit is defined by the proximity Efield of the proton. The most abundant quantum orbit has a shape of Hippoped curve with parameter $a=\sqrt{3}$. Orbits of such shapes are also used as electronic bonds connecting atoms in molecules (see Chapter 9).

The trace length $L_{q o}$ and the long axis length $L_{q}$ of the possible simple quantum orbits (formed by single quantum loops) are given in Table 1.

The estimated distance between the CL nodes in abcd axis is: $d_{a b c d} \approx 0.549 \times 10^{-20}(\mathrm{~m})$.

Table 1:

| n | $L_{q o}[\mathrm{~A}]$ | $L_{q}[\mathrm{~A}]$ | $\mathrm{e}^{-}$energy $[\mathrm{eV}]$ |
| :--- | :--- | :--- | :--- |
| 1 | 3.3249 | 1.3626 | 13.6 |
| 2 | 1.6625 | 0.6813 | 3.4 |
| 3 | 1.1083 | 0.4542 | 1.51 |
| 4 | 0.8312 | 0.3406 | 0.85 |
| 5 | 0.665 | 0.2725 | 0.544 |
| 6 | 0.5541 | 0.2271 | 0.3779 |

The calculated geometrical parameters of the stable atomic particles: proton, neutron, electron and positron are given in Table 2. The last reference column points to the BSM chapters mostly related to the calculations and cross validations of the parameters.

## Table 2:

| Parame- <br> ter | Value |  | Description | Calculations and <br> cross validations in: |
| :--- | :--- | :--- | :--- | :--- |
| $L_{P C}$ | 1.6277 | (A) | proton (neutron) core length | Chapters 5 and 6 |
| $L_{P}$ | 0.667 | (A) | proton length | Chapters 6, 7, 8, 9 |
| $W_{P}$ | 0.19253 | (A) | proton (neutron) width | Chapters 6, 7, 8,9 |
| $r_{e}$ | $8.8428 \mathrm{E}-15$ | $(\mathrm{~m})$ | small radius of electron | Chapters 3, 4, 6 |
| $s_{e}$ | $1.7706 \mathrm{E}-14$ | $(\mathrm{~m})$ | electron (positron) step | Chapter 3 |
| $r_{p}$ | $5.8952 \mathrm{E}-15$ | $(\mathrm{~m})$ | small radius of positron | Chapters 3, 4, 6 |
| $2\left(R_{c}+r_{p}\right)$ | $7.8411 \mathrm{E}-13$ | (m) | thickness of proton (neutron) | Chapters 6, 7, 8, 9 |

Notes:
(1) $R_{c}=3.86159 \times 10^{-13}(\mathrm{~m})$ is the Compton radius of elec-
tron.
(2) $1 \mathrm{~A}=10 \times 10^{-10}$
(m) is the Amstrong unit for length

Shape symbols of nuclear atomic structures


Sketch symbols of nuclear atomic structures

scale for structures and quantum orbits



Polar section of Ar for a polar GB in the bottom


Polar section of Ar for two polar GBs


## Notations:

n - neutron
p - proton
D - deuteron
T - Tritii
He - Helium
Ar - Argon

EB - electronic bond (weak)
GB - (intrinsic) gravitational bond (strong)
GBclp - (proton) club proximity GB
GBpc - polar clamped GB
PC - polar connection or clamp for Ar polar GB

## Simple quantum orbits (QOs)


(1) first harmonic QO ( 13.6 eV )
(2) second subharmonic QO $(3.4 \mathrm{eV})$
(3) third subharmonic QO $(1.51 \mathrm{eV})$
(4) fourth subharmonic QO ( 0.85 eV )
(5) fifth subharmonic QO $(0.544 \mathrm{eV})$
(6) sixth subharmonic QO $(0.377 \mathrm{eV})$


Example A: Two pairs of Ds connected by EB bonds Example B: Two pairs of Ds conncted by GBclp bonds

H 2 - ortho state (2 e- with oposite spins in respect to the proton twisting)


Note: QOs for para and ortho states of H 2 are normal to the proton's quasiplanes










Atlas of Atomic Nuclear Structures Part II
Page II-9












